

LL(k) FIRST AND FOLLOW SETS

- The **k-prefix** of a string of terminals w is a string consisting of the first k terminals in w . If $|w| \leq k$, then the k -prefix of w is w .
- The **First_k set** of a non-terminal S is the set of all k -prefixes of all strings of terminals derivable from S .
- The **First_k set** of a string γ of terminals and non-terminals is the set of all k -prefixes of all strings of terminals derivable from γ .
- The **Follow_k set** of a non-terminal S is the set of all k -prefixes of all strings of terminals that can follow S in a partial derivation.
- Note that First and Follow are First₁ and Follow₁.

LL(k) PARSE TABLES

A parse table for an LL(k) grammar G is created as follows:

- Calculate
 - First_k and Follow_k for all non-terminals
 - First_k(γ) for all productions $A \rightarrow \gamma$
- The rows of the table are labeled with G 's non-terminals
- Create a column in the table for each string of terminals of length k (strings can be shorter than k if they end with \$)
- Each entry of the table is either empty, or contains the rhs of a production.
- To create entries in the table:

Look at each production $A \rightarrow \gamma$

 - If $\gamma = \epsilon$, $\forall \alpha \in \text{Follow}_k(A)$ $\text{Table}(A, \alpha) = \gamma = \epsilon$
 - Otherwise, $\forall \alpha \in \text{First}_k(\gamma)$
 - If $\text{length}(\alpha) = k$ $\text{Table}(A, \alpha) = \gamma$
 - If $\text{length}(\alpha) < k$ $\forall \beta \in \text{Follow}_{k-\text{length}(\alpha)}(A)$ $\text{Table}(A, \alpha\beta) = \gamma$

EXAMPLE 2

$S \rightarrow \text{ASSIGN} \mid \text{FNCALL} \mid \text{WHILE}$
 $\text{ASSIGN} \rightarrow \text{id} = \text{RHS}$
 $\text{FNCALL} \rightarrow \text{id} ()$
 $\text{WHILE} \rightarrow \text{while true do } S \text{ od}$
 $\text{RHS} \rightarrow \text{id} \mid \text{FNCALL}$